



Math 110 (S & E) Syllabus / Summer Term

Book: Calculus Early Transcendentals by James Stewart 7th edition **(No Calculator)**



		Lectures			
Chapter Title	Section	Theoretical (Definitions & Theorem)	Examples	Exercises	HW
Appendices	Appendix A Numbers, Inequalities and Absolute Values	<ul style="list-style-type: none"> Intervals (Table). Inequalities . Absolute value . Properties (1-6). 	4,7 Read 1,2,3,6,8		
	Appendix B Coordinate Geometry and lines	<ul style="list-style-type: none"> Slope of line. Point-slope form of the equation of a line. Slope-Intercept form of the equation of a line. Parallel and perpendicular lines. 	4 Read 7,8		
	Appendix D Trigonometry	<ul style="list-style-type: none"> Angles (convert formula). The Trigonometric functions. Trigonometric identities, 6-11, 15. Graphs of the trigonometric functions (sin, cos, tan only) (domain, period of all) (range of sin, cos, tan only). 	1,4	4,33	1-12(odd) 29-34(odd)

Ch1: Functions and Models

	1.1 Four ways to represent a function	<ul style="list-style-type: none"> • Definition: Function, Domain and Range of a (polynomial, absolute , rational, radical of first and second degree) functions. • Graphs of Functions * and vertical line test. • Piecewise defined functions. • Symmetry (Odd & even) functions. • Increasing and Decreasing Functions. 	2,6,7,8,11 Read 1	9,31,33, 34, 38, ,45,76.	7-10,32, 42,43, 47,73-78
	1.2 Mathematical Models: A Catalog of essential functions	<ul style="list-style-type: none"> • Essential functions (Polynomials, power, rational, algebraic, trigonometric, exponential and logarithmic). 	5	2	1
	1.3 New functions from old functions	<ul style="list-style-type: none"> • Transformation of functions. <ul style="list-style-type: none"> i) Vertical and horizontal shifts. ii) Vertical and horizontal reflecting. • Combination of functions ($f \pm g$, $f \cdot g$, f/g, Composite Functions) and their domain. 	1 (without $y=2\sqrt{x}$), 2, 3(b) add to example (3) Sketch the graph of (c) $y = \cos x$ (d) $y = \cos x + 3$ (e) $y = \cos(x - \frac{\pi}{2})$ Then find the domain and range , 6-9	1(a-f) Add to exercise (1) and solve it for $y=e^x$ and $y=x^2$ 30	29-37(odd) ,39 ,45 *try to sketch $y = \cos x - 3$ $y = 2 + \cos x$ $y = \sin x$ $y = \sin x + 3$ Then find the domain and range
	1.5 Exponential Functions	<ul style="list-style-type: none"> • Laws of Exponents. • The Number e. 	1	2,13,14,19 ,20	1,3,17
	1.6 Inverse Functions and Logarithms	<ul style="list-style-type: none"> • Definition1: (1-1) & horizontal line. text. • Definition 2: Inverse Functions. • How to find the inverse function. • Logarithmic functions. • Natural logarithm. • Graphs and growth of natural logarithm. • Inverse of Trigonometric Functions: ($\sin^{-1}, \cos^{-1}, \tan^{-1}$ only). 	1,2 Add prove that the function $y = \sqrt[3]{x+2}$ is 1-1 "by def." 4, Replace $f(x)$ in example(5) by $f(x) = \sqrt{x-1}$ 7-13 Read 3,6	22,23, 37(b),40,4 8(a) ,51(a,b), 53(a), 64,68.	21-26(odd) 35-41(add) 52, 57

Ch2: Limits and derivatives

	2.2 The Limits of a Functions	<ul style="list-style-type: none"> • Definition1-6. • One-sided limits. • Infinite limits: (vertical asymptote). • Figure 17. 	1,7-10	9, 35,38	4,7,8,11, 12
	2.3 Calculating Limits Using the Limits Laws	<ul style="list-style-type: none"> • The Limits Laws 1-11 • Theorem1,2. • The squeezed theorem+ Figure 7. • limit of trigonometric function(by theorem)*P.192 relation 2, P.193 relation 3 +relations in 'notes in math110'. 	2(a)-9,11 <u>P. 196:</u> 5,6	15,23,28, ,57 <u>P.198:</u> 40, 42 ,45, 46 ,47, 48	12, 19, 20,22,25, 27, 29, 31, 32,35-37, <u>P. 198:</u> 39
	2.5 Continuity	<ul style="list-style-type: none"> • Definition1: Continuity at A number. • Definition2: Continuity from the right and from the left. • Theorem 4-9. • Theorem 10: The intermediate value theorem. 	2(a-c),6,8,9 Read5,7	3,45	17,20,21,2 5, 38, 41,46
	2.6Limits at infinity	<ul style="list-style-type: none"> • Definition1-3. • Theorem 4-6. • Infinite limits at infinity. • $\lim_{n \rightarrow \infty} ax^n$ if n odd or even. 	1-11	34,43	19,26,33, 35 , 43, 44
	2.7 Derivatives and rates of charge	<ul style="list-style-type: none"> • Tangents. • Definition 1,2. • Derivatives. • Definition 4, 5. 	1,4,5		
	2.8 The Derivatives as a Function	<ul style="list-style-type: none"> • Formulas 1, 2. • Other Notations. • Definition 3, Theorem 4. • Higher Derivatives. 	3,5,7		29,49

Ch3: Differentiation Rules	3.1 The Derivative of polynomials and exponential function	<ul style="list-style-type: none"> Constant functions. Power functions. <u>Definition of normal line P.176.</u> New derivatives from old. Derivative of the natural exponential function. 	1-6,8	23	3-35(odd)
	3.2 The product and quotientrules	<ul style="list-style-type: none"> The product rule. Quotient rule. 	1-5		3-33(odd)
	3.3 Derivatives of Trigonometric Functions	<ul style="list-style-type: none"> Formulas 4-6. Derivative of Trigonometric Functions. 	1,2(diff.only),4	21,	1-7(odd), 49
	3.4 The Chain Rule and Parametric Equations	<ul style="list-style-type: none"> The Chain Rule. The power rule combined with the chain rule. Formula 5. 	1-9	33,53	1-15(odd),44 ,47,48
	3.5 Implicit Differentiation	<ul style="list-style-type: none"> Derivatives of Inverse Trigonometric Functions. 	1, 2(a,b), 3-5	12,26	5-11(odd),25 ,35,37,49,5
	3.6 Derivatives of Logarithmic Functions	<ul style="list-style-type: none"> Formulas 1-4. Logarithmic differentiation. 	1-8	19,52	3-17(odd),31 ,43-47

*** The graphs that students must Know:**

$y = \sin x$, $y = \cos x$, $y = \tan x$

$y = x$, $y = |x|$, $y = \sqrt{x}$,

$y = x^2$, (and similarly $y = x^4$, $y = x^6$, ...etc)

$y = x^3$, (and similarly $y = x^5$, $y = x^7$, ...etc)

$y = \frac{1}{x}$, (and similarly $y = \frac{1}{x^3}$, $y = \frac{1}{x^5}$...etc)

$y = \frac{1}{x^2}$, (and similarly $y = \frac{1}{x^4}$, $y = \frac{1}{x^6}$...etc)

Exponential function, logarithmic function.

Note: see the **workshop** at hashoaib.kau.edu.sa

Marks distribution:-

	First Exam	Second Exam	Final Exam
Time ; marks	120 min; 31 marks	120 min; 31 marks	120 min; 43 marks

Note

Appendices A&B are not included in the exams.

With sincerest gratitude,

Dr. Hatoon Shoaib

